## END OF CHAPTER EXERCISES

## Chapter 14 : Swaps

Financial Engineering : Derivatives And Risk Management
(Keith Cuthbertson, Dirk Nitzsche)

1. If you are warehousing swaps what does this mean?

2 Why is the expected loss from a default on an interest rate swap, less than the expected loss from the default on a bank loan with the same principal?

3 Explain the difference between credit risk and market risk. Can these risks be hedged for a swap and for other positions?
4. Companies $A$ and $B$ have been offered the following rates per annum on a \$10 million, 7-year loan:

|  | Fixed Rate | Floating Rate |
| :--- | :---: | :---: |
| Company A | $6.0 \%$ | LIBOR $+0.1 \%$ |
| Company B | $7.4 \%$ | LIBOR $+0.6 \%$ |

Company A requires a floating rate loan, while company B requires a fixed rate loan. Design a swap that will provide a bank, acting as intermediary, $0.1 \%$ p.a. and which divides the remaining gains in the swap equally between A and B. (Hint : Get the bank to pay and receive floating, at LIBOR).
5. A $\$ 100$ million interest rate swap has a remaining life of 10 months. In the swap, 6month LIBOR (floating) is exchanged for $6 \%$ p.a. "fixed" (i.e. the fixed rate is $3 \%$ over each 6 -month payment period). The yield curve is currently "flat" with all spot rates for all maturities being currently $5 \%$ per annum with continuous compounding. The 6month LIBOR rate, 2 months ago, at the previous "fixing date" was $3.6 \%$ p.a. (expressed as simple interest rate). What is the current value (i.e. 2-months into the swap) to the party paying floating? What is its value to the party paying fixed?

Consider the swap as (i.) a combination of fixed and floating bond and (ii.) a series of forward contracts.
(Hint : Because the term structure is flat at $10 \%$ p.a. continuous compounding, then all future spot and forward rates equal $10 \%$, continuously compounded.)
6. Suppose that the term structure of interest rates is flat in the United States and Euroland. The dollar interest rate $r_{u s}=6 \%$ per annum while the Euro interest rate is $r_{E}$ $=3 \%$ per annum. The current exchange rate is $S=1.0$ Euros per $\$$. Under the swap agreement, a financial institution pays (a 'coupon' of) $3 \%$ per annum in Euros and receives (a 'coupon' of) $5 \%$ per annum in USDs. The principle in the two currencies
are $\$ 100 \mathrm{~m}$ and $€ 90 \mathrm{~m}$. Payments are exchanged every year with one exchange having just taken place. The swap will last 2 more years.

Consider the swap as a portfolio of (i.) bonds and (ii.) futures contracts. What is the value of the swap to the financial institution? Assume all interest rates are continuously compounded.
7. A currency swap with annual payments has a remaining life of 15 months. In the swap, interest payments are exchanged at a 'coupon' rate of $6 \%$ on 50 million Australian dollars (AUD) for coupon interest payments at $4 \%$ on 30 million US dollars (USD). The term structure of interest rates in both countries is flat with $r_{u s}=8 \%$ and $r_{\text {AS }}=10 \%$ (both of these rates are continuously compounded). The current exchange rate is 0.65 USD per AUD.

Consider the swap as a portfolio of (i.) bonds and (ii.) futures contracts. What is the value of the swap to the party receiving dollars and paying sterling?

