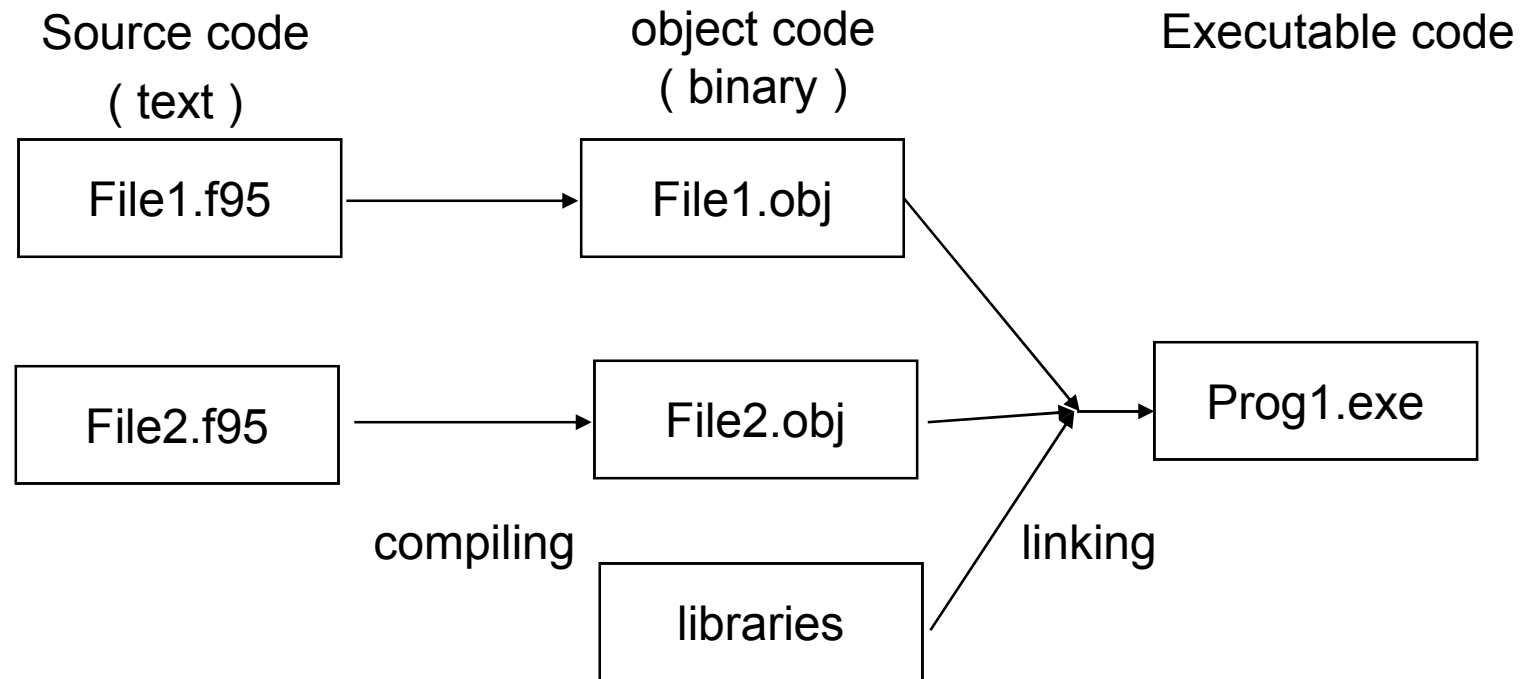


Creating Executable Code



- Source code: text file you write
- Executable code: binary code



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FUNCTIONS AND SUBROUTINES

All major computing languages allow complex and/or repetitive programs to be broken down into simpler procedures, each carrying out particular well-defined tasks, often with different values of certain parameters.

In Fortran these *subprograms* are called ***subroutines*** and ***functions***.

Fortran95 Manual

9. FUNCTIONS AND SUBROUTINES

9.1 – 9.5

Intrinsic (build-in) Functions

Examples of intrinsic functions:

SQRT: $y = \text{sqrt}(2.0)$

ABS: $y = \text{abs}(x)$

SIN: $y = \text{sin}(x)$ (x: radians)

ATAN: $\text{pi} = 4.0 * \text{ATAN}(1.0)$

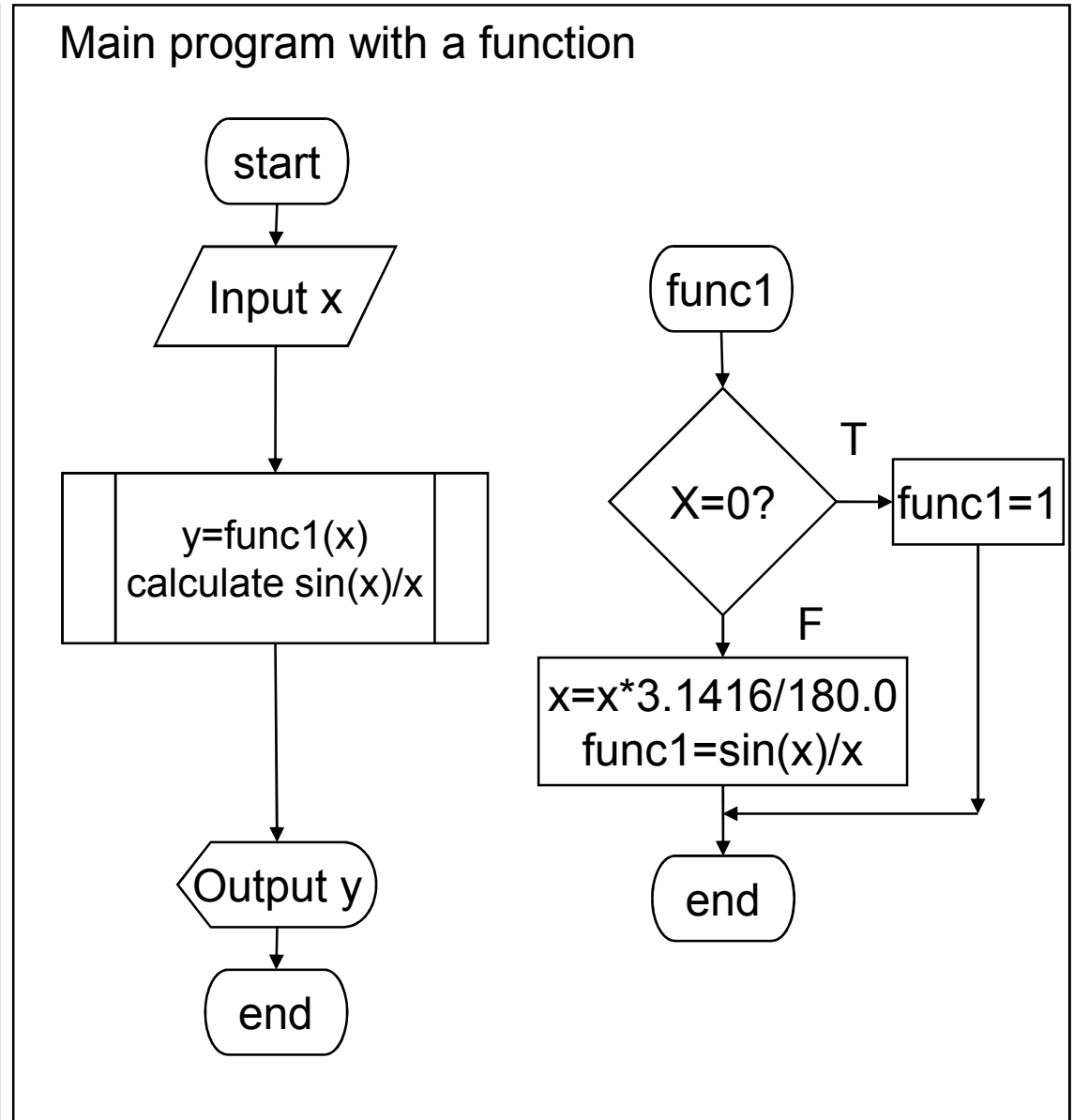
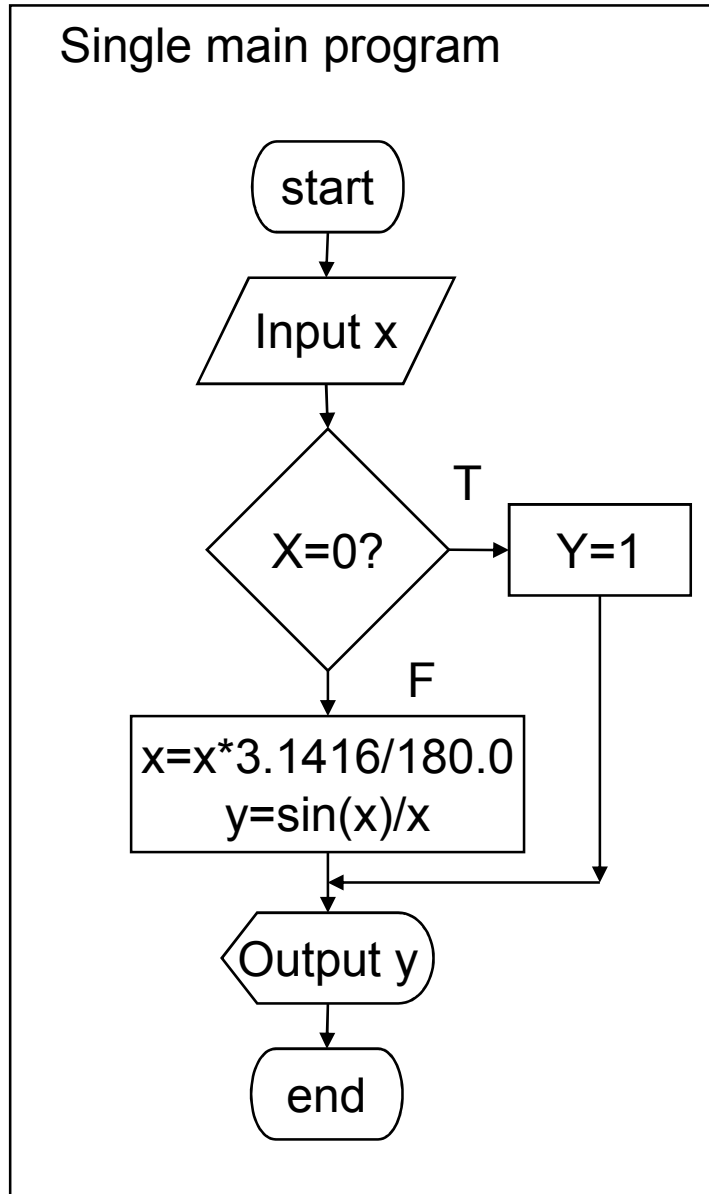
When do we need user-defined functions?

not in the intrinsic function list

long formulas

repeatedly used formulas

Program structure (function)



User-Defined Functions

General Form

```
[type] FUNCTION name (argument-list)
[IMPLICIT NONE]
type declarations
executable statements
END [FUNCTION [name]]
```

```
PROGRAM EXAMPLE
PRINT *, 'Input X, Y'
READ *, X, Y
r = RADIUS( X, Y )
PRINT *, 'Distance = ', r
END PROGRAM EXAMPLE

!=====

REAL FUNCTION RADIUS( A, B )
RADIUS = SQRT( A ** 2 + B ** 2 )
PRINT *, A,B
END FUNCTION RADIUS
```

On which line is the function used?

Function name and type?

How many arguments in the function?

User-Defined Functions

Example

Write a function which calculates the mean value of 10 numbers stored in a real type array.

function name: mean (real type)
argument list: x (a real type array, 10 elements)

```
REAL FUNCTION mean(x)
real x(10), sum
sum=0
do i = 1, 10
    sum = sum + x(i)
end do
mean = sum/10
END FUNCTION mean
```

```
In Main program:

Real R(10), avg
Real mean      !external

Do i=1,10
    read(*,*) R(i)
End do

Avg = mean(R)
```

User-Defined Functions

Example

Write a function which calculates the mean value of N numbers stored in a real type array. A value is assigned to N in the main program.

function name: mean (real type)
argument list: x (a real type array, N elements), N

```
REAL FUNCTION mean(x, N)
integer N
real x(N), sum
sum=0
do i = 1, N
    sum = sum + x(i)
end do
mean = sum/N
END FUNCTION mean
```

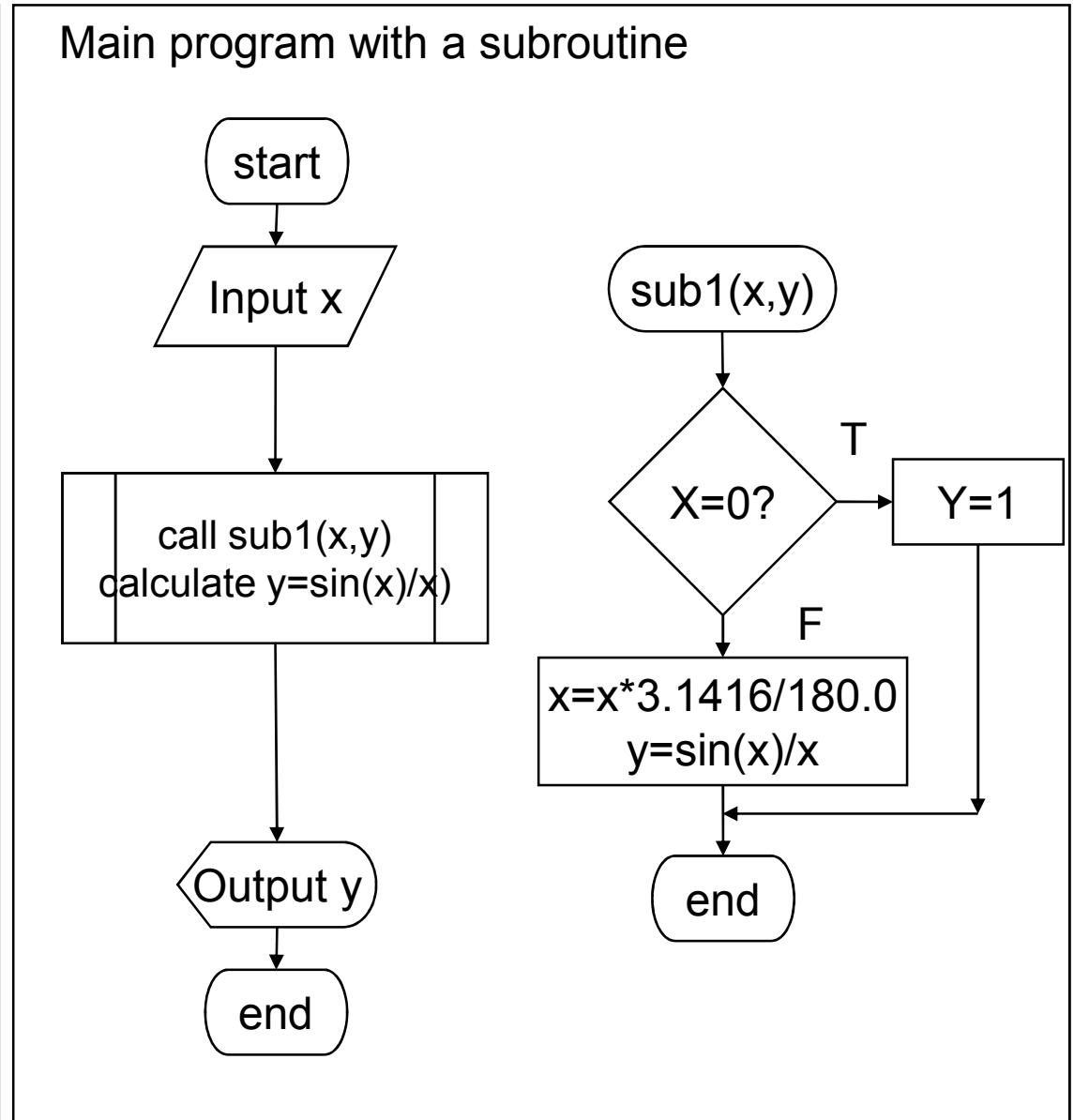
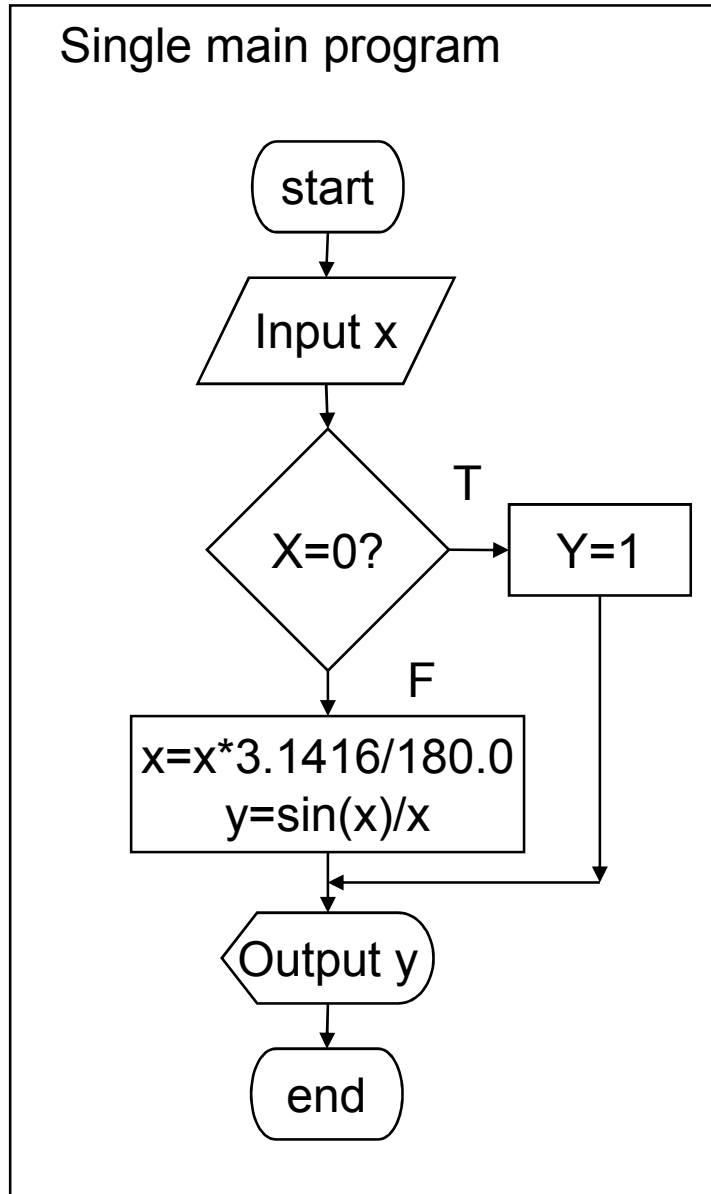
```
In Main program:

Real R(10), avg
Real mean      !external

Do i=1,N      ! N≤10
    read(*,*) R(i)
End do

Avg = mean(R, N)
```

Program structure (subroutine)



Subroutines

General Form

```
SUBROUTINE subroutine-name (argument-list)  
[IMPLICIT NONE]  
type declarations  
executable statements  
END [SUBROUTINE [name]]
```

Subroutines are self-contained

```
PROGRAM EXAMPLE  
PRINT *, 'Input X, Y'  
READ *, X, Y  
CALL DISTANCE( X, Y, RADIUS )  
PRINT *, 'Distance = ', RADIUS  
END PROGRAM EXAMPLE  
!  
SUBROUTINE DISTANCE( A, B, R )  
R = SQRT( A ** 2 + B ** 2 )  
END SUBROUTINE DISTANCE
```

On which line is the subroutine called?

subroutine name?

argument list?

intended data transfer direction?

What is the main difference compared with functions?

Subroutines

Example

Write a subroutine which calculates the mean value of N numbers stored in a real type array. A value is assigned to N in the main program.

```
subroutine name: get_mean  
argument list: x (a real type array, N elements), N , mean
```

```
call get_mean(x, N, mean)
```

```
subroutine get_mean(x, N, mean)  
integer N  
real x(N), sum, mean  
sum=0  
do i = 1, N  
    sum = sum + x(i)  
end do  
mean = sum/N  
END subroutine get_mean
```

Subroutines

Exercise

Write a subroutine which calculates the mean value and the standard deviation of N numbers stored in a real type array. A value is assigned to N in the main program.

subroutine name: `get_mean_std`

argument list: `x` (a real type array, N elements), `N` , `mean`, `std`

call `get_mean_std(x, N, mean, std)`

```
subroutine get_mean_std(x, N, mean, std)
integer N
real x(N), sum, mean, std
sum=0
do i = 1, N
    sum = sum + x(i)
end do
mean = sum/N
( write the code for calculating std)
END subroutine get_mean_std
```

$$std = \sqrt{\frac{\sum_{i=1}^N (x(i) - mean)^2}{N}}$$

The standard deviation

The standard deviation:

$$std = \sqrt{\frac{\sum_{i=1}^N (x(i) - mean)^2}{N}}$$

Flowchart:

