## (Part II) Solutions Lab-session 5

1) a) $\mathrm{SLOPE} \rightarrow \alpha=2.7849$ INTERCEPT $\rightarrow \beta=1.6138$
b) LINEST $\rightarrow \alpha=2.7849, \beta=1.6138, r^{2}=0.9988$
c)

d)


Yes, they are more or less randomly distributed around zero and confirm therefore a linear correlation.
2)

3) Function MyRegression(xdata, ydata)

Dim i, n As Integer
Dim meanx, meany, hx, hhx, hhy, Corr, Slope, Intercept As Double
Dim tt(5)
$\mathrm{n}=10$
$\mathrm{i}=1$
Do Until $\mathrm{i}=\mathrm{n}+1$

$$
\begin{aligned}
& \text { meanx }=\text { mean }+x d a t a(i) / n \\
& \text { meany }=\text { meany }+ \text { ydata }(i) / n \\
& i=i+1
\end{aligned}
$$

Loop
i = 1
Do Until $\mathrm{i}=\mathrm{n}+1$
$\mathrm{hx}=\mathrm{hx}+(\mathrm{xdata}(\mathrm{i})-$ meanx $) *(y d a t a(\mathrm{i})-$ meany $)$
hhx $=$ hhx $+(x d a t a(i)-$ meanx $){ }^{\wedge} 2$
hhy $=$ hhy $+(\text { ydata(i) }- \text { meany })^{\wedge} 2$
$\mathrm{i}=\mathrm{i}+1$
Loop
Slope $=\mathrm{hx} / \mathrm{hhx}$
Intercept $=$ meany - Slope * meanx
Corr $=\mathrm{hx}{ }^{\wedge} 2 /($ hhy $* \mathrm{hhx})$
$\operatorname{tt}(0)="$ Slope: $"$
$\operatorname{tt}(1)=$ Slope
$\operatorname{tt}(2)=$ "Intercept:"
$\operatorname{tt}(3)=$ Intercept
$\operatorname{tt}(4)=$ "Correl:"
$\mathrm{tt}(5)=$ Corr
MyRegression $=\mathrm{tt}$
End Function

