

END OF CHAPTER EXERCISES

Chapter 9 : Bond Market Strategies

Investments : Spot and Derivatives Markets

(Keith Cuthbertson, Dirk Nitzsche)

1. Give two reasons why the concept of duration is useful
2. What is meant by the convexity of a bond ? Why might you be willing to pay more for bond-A which has a greater convexity than bond-B.
3. Why might a pension fund use cash flow matching? Will it use this technique for the whole of its bond portfolio ?
4. Consider a 10 % coupon bond (annual coupons) with par value \$100, yield to maturity of $y = 10\%$ and 5 years to maturity. Calculate:
 - (a.) the current market price, P .
 - (b.) the Macaulay duration, D .
 - (c.) the (approximate) price change if the yield to maturity rises to 10.5 % or falls to 9.5%.
 - (d.) the 'true' price change for $y = 10.5\%$ and $y = 9.5\%$.
5. What conditions are necessary to ensure a successful immunisation strategy ? Are these conditions met in practice?
6. What are the difficulties implementing a bond indexing strategy ?
7.

<u>Portfolio A:</u>	1-year discount bond, face value = \$2,000
	10-year discount bond, face value = \$6,000
<u>Portfolio B:</u>	5.95 year discount bond, face value = \$5,000

Current flat yield curve is $y = 10\%$ pa (continuously compounded)

 - (a.) Show that the duration of portfolio-A equals that of portfolio-B
 - (b.) What is the actual percentage change in value of portfolio-A for a 10-basis point increase in yield?
Does the duration formula give approximately the same answer?
 - (c.) Repeat (b.) for portfolios A and B for an increase in yield of 5% pa.
Which portfolio has the higher convexity?