

SCHEDULE (SUMMER SCHOOL, ISLE OF SKYE, 2015)

	June 19	June 20	June 21	June 22
7:45 – 9:00	– <i>breakfast</i> –	– <i>breakfast</i> –	– <i>breakfast</i> –	– <i>breakfast</i> –
9:00 – 10:00	Reischuk	Gratz	Dell’Ambrogio	Klein
10:00 – 10:30	– <i>coffee</i> –	– <i>coffee</i> –	– <i>coffee</i> –	– <i>coffee</i> –
10:30 – 11:30	Yuliawan	Briggs	Cesaro	Stevenson
11:45 – 12:45	Wong	Conde	Pauwels	
13:00	– <i>lunch</i> –	– <i>lunch</i> –	– <i>lunch</i> –	
14:30 – 15:30	Stevenson	Šťovíček	Burke	
15:30 – 16:00	– <i>coffee</i> –	– <i>coffee</i> –	– <i>coffee</i> –	
16:00 – 17:30	exercise session	exercise session	exercise session	
18:30	– <i>dinner</i> –	– <i>dinner</i> –	– <i>dinner</i> –	

LIST OF TALKS

Friday June 19th (Modular representation theory).

- (1) R. Reischuk: *Representations of finite groups*,
- (2) F. Yuliawan: *The stable module category*,
- (3) W. Wong: *The derived category*,
- (4) G. Stevenson: *Overview, part I, statement of the classification theorem*.

We will finish the day by looking at examples illustrating talks 1-3; group cohomology; the language of triangulated categories.

Saturday June 20th (Commutative algebra).

- (1) S. Gratz: *The spectrum of a graded commutative algebra*,
- (2) B. Briggs: *Support varieties*,
- (3) T. Conde: *The derived category of a commutative DGA*,
- (4) J. Šťovíček: *The Hopkins-Neeman theorem*.

We will finish the day by discussing examples of Zariski spectra and supports, and constructing examples of group representations and DG modules with prescribed support.

Sunday June 21st (Differential graded algebra).

- (1) I. Dell'Ambrogio: *More differential graded algebra: enhancements, functors, tilting theory*,
- (2) A. Cesaro: *The Bernstein-Gelfand-Gelfand correspondence*,
- (3) B. Pauwels: *Cohomology for elementary abelian p -groups*,
- (4) J. Burke: *Formality of the Koszul complex*.

We will finish the day by putting hands on the differential graded machinery.

Monday June 22nd (Proof of the classification theorem).

- (1) S. Klein: *Carlson's generation theorem and reduction to elementary abelian groups*,
- (2) G. Stevenson: *Overview, part II: proof of the classification theorem*.